## PROFICIENCY CHALLENGE 1 ANSWER KEY

AMV = "Answers May Vary"

| $\mathbf{1}$ | $\frac{1}{11}=0.090909090 \ldots$. Since $0.0 \overline{45}$ is half $0.0 \overline{90}$, then $0.0 \overline{45}$ is half of $\frac{1}{11}$ which is |
| :--- | :--- |
| $\frac{1}{22}$. |  |


| $\mathbf{2}$ | AMV. As an example: |
| :--- | :--- |
|  | (4) |
|  | $(2)$ |


| 3 | AMV. As an example: |  |
| :--- | :--- | :--- | :--- |
|  | 5 0 7 <br> 6 4 2 <br>  1 8 |  |

$4 \quad$ AMV. Examples include: 9 tricycles and 1 bike; 7 tricycles and 4 bikes; 5 tricycles and 7 bicycles.

Graphs should be properly labeled and contain some of the following ordered pairs:
$(9,1)(7,4)(5,7)(3,10)(1,13)$. The points will fall on a line.

| $\mathbf{5} \mathbf{a}$ | AMV. Examples include: $\frac{1}{2}, \frac{1}{3}, \frac{1}{7}$ |
| ---: | :--- |
| b | AMV. Examples include: $\frac{3}{2}, \frac{7}{2}, \frac{8}{3}$ |
| c | AMV. Examples include: $\frac{9}{8}, \frac{8}{7}$ |
| d | AMV. Examples include: $\frac{9}{2}, \frac{7}{1}$ |
| e | $\frac{1}{1000}$ |

## PROFICIENCY CHALLENGE 2 ANSWER KEY

AMV = "Answers May Vary"

| $\mathbf{1}$ |  |
| ---: | :--- |
| a | Students make accurate graphs and label the points appropriately. |
| b | True |
| c | False |
| d | False, the distance is 1. Distance cannot be negative. |
|  | AMV. Students will probably identify $(-1.5,6)$ as a point (the midpoint) that is <br> equidistant from the park and the post office. |
|  | AMV. There are an infinite number of points that are equidistant from the park and <br> the post office. Any ordered pair in the from $(-1.5, n)$ will work. |


| $\mathbf{2}$ | AMV. There are many solutions/graphs that meet these requirements. Students <br> should label coordinates accurately. |
| :--- | :--- |
|  | Carlos is correct. Students should have the dorm and the science building on the <br> same axis with the student center at the origin. Either axis can work. |
|  | Juan's mistake is that the points on the graph are not vertically aligned and can't <br> simply find the difference between the $y$-values to find the distance. Student <br> explanations of error should be clear and logical. |

## PROFICIENCY CHALLENGE 3 ANSWER KEY

AMV = "Answers May Vary"


2 Brianna is correct. The sum of a number and its opposite is zero.
Explanation may vary; For example:
$-100+100=0,-99+99=0,-98+98=0, \ldots-3+3=0,-2+2=0,-1+1=0$

| 3 | -90 <br> Explanations may vary. For example: <br> $-20+(-19)+(-18)+(-17)+(-16)+(-15)+\ldots+(15)=$ <br> $-20+(-19)+(-18)+(-17)+(-16)+$ <br>  <br>  <br>  <br>  <br> Another example of an explanation could be: Since the sum of the integers from - <br> 15 to 15 is zero, I only needed to find the sum of $-20+(-19)+(-18)+(-17)+(-16)$. |
| :--- | :--- |


| 4 | AMV. Examples include: <br> Take 3 steps to the left and then 3 steps to the right - how many steps away from <br> the starting point? <br> Have $\$ 50$ and then spend $\$ 50$ - how much money left? <br> Lose 10 lbs. and then gain 10 lbs. - what is the net weight gain or loss? |
| :--- | :--- |


| $\mathbf{5}$ | AMV. Examples include: <br> There are 6 apples in a basket and then do not add any more apples into the <br> basket - how many apples in the basket now? <br> Sleep for 7 hours and then sleep no extra hours - how many hours slept in total? |
| :--- | :--- |

6 There were 47 lines on the page. Explanations may vary.
As an example:
Numbers that have a remainder of 2 when divided by 3: $5,8,11,14,17,20,23$, $26,29,32,35,38,41,44,47,50,53 \ldots$ Numbers that have a remainder of 2 when divided by $5: 7,12,17,22,27,32,37,42,47,52,57 \ldots$ Numbers that have a remainder of 5 when divided by 7 : $12,19,26,33,40,47,54,61 \ldots$ The first number in common in these lists is 47 .

## PROFICIENCY CHALLENGE 4 ANSWER KEY

| 1 a | 4.9, 6 |
| :---: | :---: |
| b | $-5.2,-\frac{7}{3},-6,-1.75,1.34$ |
| C | -6 |
| d | $4.9, \frac{3}{2}, 6,-1.75,1.34$ |
| 2 | $\begin{aligned} & D(3.1,-4.5) \\ & F\left(-\frac{2}{3},-4 \frac{3}{5}\right) \end{aligned}$ <br> Rectangle $A B C D$ has the greater perimeter. <br> Perimeter of rectangle $A B C D=6$ units; Perimeter of $E F G H \approx 4.3$ units |

